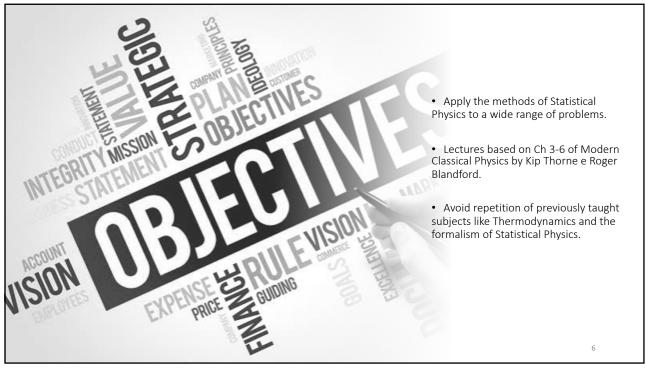


## Many particle systems

Many-particle systems often admit an (analytical) statistical description when their number becomes large.

In that sense they are simpler than few-particle systems. This feature has several diferent names – the law of large numbers, ergodicity, etc. – and it is one of the reasons for the spectacular successes of statistical physics.





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