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> # propagação de variâncias-covariâncias numa irradiada
  incluindo incertezas nas medições lineares e angulares
> #
> with(LinearAlgebra):
> #
> M2:=M1+d*sin(R);

$$M2 \coloneqq M1 + d \sin(R)$$


> P2:=P1+d*cos(R);

$$P2 \coloneqq P1 + d \cos(R)$$


> sigma_obs:=Matrix([[s2d,0],[0,s2R]]);

$$\text{sigma\_obs} := \begin{bmatrix} s2d & 0 \\ 0 & s2R \end{bmatrix}$$


>
J:=Matrix([[diff(M2,d),diff(M2,R)],[diff(P2,d),diff(P2,R)])];

$$J := \begin{bmatrix} \sin(R) & d \cos(R) \\ \cos(R) & -d \sin(R) \end{bmatrix}$$


> sigma_coord:=J.sigma_obs.Transpose(J);

$$\text{sigma\_coord} := \begin{bmatrix} \sin(R)^2 s2d + d^2 \cos(R)^2 s2R & \sin(R) s2d \cos(R) - d^2 \cos(R)^2 s2R \\ \sin(R) s2d \cos(R) - d^2 \cos(R) s2R \sin(R) & \cos(R)^2 s2d + d^2 \sin(R)^2 s2R \end{bmatrix}$$


> Aux0:=ScalarMultiply(Matrix(2,2,shape=identity),-lambda);

$$\text{Aux0} := \begin{bmatrix} -\lambda & 0 \\ 0 & -\lambda \end{bmatrix}$$


> Aux1:=Add(sigma_coord,Aux0);

$$\text{Aux1} := \begin{bmatrix} \sin(R)^2 s2d + d^2 \cos(R)^2 s2R - \lambda & \sin(R) s2d \cos(R) - d^2 \cos(R) s2R \\ \sin(R) s2d \cos(R) - d^2 \cos(R) s2R \sin(R) & \cos(R)^2 s2d + d^2 \sin(R)^2 s2R - \lambda \end{bmatrix}$$


> Aux2:=Determinant(Aux1);

$$\text{Aux2} := \sin(R)^4 s2d d^2 s2R - \sin(R)^2 s2d \lambda + d^2 \cos(R)^4 s2R s2d - d^2 \cos(R)^2 s2R \lambda - \lambda \cos(R)^2 s2d - \lambda d^2 \sin(R)^2 s2R + \lambda^2 + 2 \sin(R)^2 s2d \cos(R)^2 d^2 s2R$$


> solve(Aux2=0,lambda);

$$s2d, d^2 s2R$$


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